

**MATHEMATICS AND STATISTICS  
SEMINAR ANNOUNCEMENT**

Tuesday, October 20  
2:30 - 4:00 PM  
McLean Hall 242.1

**SPEAKER**

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**TITLE**

Non-crossing partitions of type  $k$ ,  $k$ -dimensional freeness  
and application to infinitesimal freeness.

**ABSTRACT:**

Abstract : Free probability theory was introduced by Voiculescu to investigate some operator theoretical problems. The combinatorial objects involved in the theory are lattices of non-crossing partitions, which can be embedded in the Cayley graphs of symmetric groups, known as the type  $A$  in the classification of finite reflection groups. Type  $B$  free probability was then introduced by Biane, Goodman and Nica, by replacing the symmetric groups by the hyperoctahedral groups (known as type  $B$  in the classification). A deep application of this theory was outlined by Belinschi and Shlyakhtenko : roughly speaking, given two time-indexed families of distributions, the free convolution of type  $B$  provides the first two leading terms of their free convolution of type  $A$  when  $t$  goes to 0. We will see that we may obtain the first  $k$  leading terms by developing a version of the free probability of type  $A$ , but with values in a  $k$ -dimensional commutative algebra, and we will study the non-crossing partitions appearing at the combinatorial level of this construction.